

Package ‘CVglasso’

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Type Package

Title Lasso Penalized Precision Matrix Estimation

Version 1.0.1

Description

Estimates a lasso penalized precision matrix via blockwise coordinate descent (BCD). This package is a simple wrapper around the popular 'glasso' package and extends and enhances its capabilities. These enhancements include built-in cross validation and visualizations. See Friedman et al. (2008) <[doi:10.1093/biostatistics/kxm045](https://doi.org/10.1093/biostatistics/kxm045)> for details regarding the estimation method.

URL <https://github.com/jmcurran/CVglasso>

BugReports <https://github.com/jmcurran/CVglasso/issues>

License GPL (>= 2)

ByteCompile TRUE

Encoding UTF-8

RoxygenNote 7.3.3

Imports doParallel, dplyr, foreach, ggplot2, glasso, parallel, stats

Suggests testthat, rmarkdown, knitr, pkgdown, microbenchmark

VignetteBuilder knitr

NeedsCompilation no

Author Matt Galloway [aut],

James Curran [aut, cre]

Maintainer James Curran <j.curran@auckland.ac.nz>

Repository CRAN

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Description

Penalized precision matrix estimation using the graphical lasso (glasso) algorithm. Consider the case where X_1, \dots, X_n are iid $N_p(\mu, \Sigma)$ and we are tasked with estimating the precision matrix, denoted $\Omega \equiv \Sigma^{-1}$. This function solves the following optimization problem:

Objective: $\hat{\Omega}_\lambda = \arg \min_{\Omega \in S_+^p} \{Tr(S\Omega) - \log \det(\Omega) + \lambda \|\Omega\|_1\}$

where $\lambda > 0$ and we define $\|A\|_1 = \sum_{i,j} |A_{ij}|$.

Usage

```
CVglasso(
  X = NULL,
  S = NULL,
  nlam = 10,
  lam.min.ratio = 0.01,
  lam = NULL,
  diagonal = FALSE,
  path = FALSE,
  tol = 1e-04,
  maxit = 10000,
  adjmaxit = NULL,
  K = 5,
  crit.cv = c("loglik", "AIC", "BIC"),
  start = c("warm", "cold"),
  cores = 1,
  trace = c("progress", "print", "none"),
  ...
)
```

Arguments

- | | |
|----------------------------|--|
| <code>X</code> | option to provide a $n \times p$ data matrix. Each row corresponds to a single observation and each column contains n observations of a single feature/variable. |
| <code>S</code> | option to provide a $p \times p$ sample covariance matrix (denominator n). If argument is <code>NULL</code> and <code>X</code> is provided instead then <code>S</code> will be computed automatically. |
| <code>nlam</code> | number of <code>lam</code> tuning parameters for penalty term generated from <code>lam.min.ratio</code> and <code>lam.max</code> (automatically generated). Defaults to 10. |
| <code>lam.min.ratio</code> | smallest <code>lam</code> value provided as a fraction of <code>lam.max</code> . The function will automatically generate <code>nlam</code> tuning parameters from <code>lam.min.ratio*lam.max</code> to <code>lam.max</code> in \log_{10} scale. <code>lam.max</code> is calculated to be the smallest <code>lam</code> such that all off-diagonal entries in Ω are equal to zero ($\alpha = 1$). Defaults to $1e-2$. |

lam	option to provide positive tuning parameters for penalty term. This will cause nlam and lam.min.ratio to be disregarded. If a vector of parameters is provided, they should be in increasing order. Defaults to NULL.
diagonal	option to penalize the diagonal elements of the estimated precision matrix (Ω). Defaults to FALSE.
path	option to return the regularization path. This option should be used with extreme care if the dimension is large. If set to TRUE, cores must be set to 1 and errors and optimal tuning parameters will be based on the full sample. Defaults to FALSE.
tol	convergence tolerance. Iterations will stop when the average absolute difference in parameter estimates is less than tol times multiple. Defaults to 1e-4.
maxit	maximum number of iterations. Defaults to 1e4.
adjmaxit	adjusted maximum number of iterations. During cross validation this option allows the user to adjust the maximum number of iterations after the first lam tuning parameter has converged. This option is intended to be paired with warm starts and allows for 'one-step' estimators. Defaults to NULL.
K	specify the number of folds for cross validation.
crit.cv	cross validation criterion (loglik, AIC, or BIC). Defaults to loglik.
start	specify warm or cold start for cross validation. Default is warm.
cores	option to run CV in parallel. Defaults to cores = 1.
trace	option to display progress of CV. Choose one of progress to print a progress bar, print to print completed tuning parameters, or none.
...	additional arguments to pass to glasso.

Value

returns class object CVglasso which includes:

Call	function call.
Iterations	number of iterations
Tuning	optimal tuning parameter.
Lambdas	grid of lambda values for CV.
maxit	maximum number of iterations for outer (blockwise) loop.
Omega	estimated penalized precision matrix.
Sigma	estimated covariance matrix from the penalized precision matrix (inverse of Omega).
Path	array containing the solution path. Solutions will be ordered by ascending lambda values.
MIN.error	minimum average cross validation error (cv.crit) for optimal parameters.
AVG.error	average cross validation error (cv.crit) across all folds.
CV.error	cross validation errors (cv.crit).

Author(s)

Matt Galloway <gall0441@umn.edu>

References

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- Rothman, Adam. 2017. 'STAT 8931 notes on an algorithm to compute the Lasso-penalized Gaussian likelihood precision matrix estimator.'

See Also

[plot.CVglasso](#)

Examples

```
# generate data from a sparse matrix
# first compute covariance matrix
S = matrix(0.7, nrow = 5, ncol = 5)
for (i in 1:5){
  for (j in 1:5){
    S[i, j] = S[i, j]^abs(i - j)
  }
}

# generate 100 x 5 matrix with rows drawn from iid N_p(0, S)
set.seed(123)
Z = matrix(rnorm(100*5), nrow = 100, ncol = 5)
out = eigen(S, symmetric = TRUE)
S.sqrt = out$vectors %*% diag(out$values^0.5)
S.sqrt = S.sqrt %*% t(out$vectors)
X = Z %*% S.sqrt
```

```
# lasso penalty CV
CVglasso(X, trace = 'none')
```

plot.CVglasso	<i>Plot CVglasso object</i>
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Description

Produces a plot for the cross validation errors, if available.

Usage

```
## S3 method for class 'CVglasso'
plot(x, type = c("line", "heatmap"), footnote = TRUE, ...)
```

Arguments

x	class object CVglasso
type	produce either 'heatmap' or 'line' graph
footnote	option to print footnote of optimal values. Defaults to TRUE.
...	additional arguments.

Examples

```
# generate data from a sparse matrix
# first compute covariance matrix
S = matrix(0.7, nrow = 5, ncol = 5)
for (i in 1:5){
  for (j in 1:5){
    S[i, j] = S[i, j]^abs(i - j)
  }
}

# generate 100 x 5 matrix with rows drawn from iid N_p(0, S)
set.seed(123)
Z = matrix(rnorm(100*5), nrow = 100, ncol = 5)
out = eigen(S, symmetric = TRUE)
S.sqrt = out$vectors %%% diag(out$values^0.5)
S.sqrt = S.sqrt %%% t(out$vectors)
X = Z %%% S.sqrt

# produce line graph for CVglasso
plot(CVglasso(X, trace = 'none'))

# produce CV heat map for CVglasso
plot(CVglasso(X, trace = 'none'), type = 'heatmap')
```

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